Principles of AI Planning
Summer 2004

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## Exercise 3

To be returned on Monday, May 17, 2004

## Assignment 3.1

When Romeo applied his regression planner to avoid dancing last week, he did not manage to solve the planning problem in time and Juliet finally dragged him along when she left the house. To escape a similar fate for the coming weekend, Romeo has implemented a powerful satisfiability checking algorithm to help with his sometimes slow reasoning tasks. For converting his planning task to a satisfiability problem, he needs your help.

The planning task is the same as in Assignment 2.2. In the following, we will use short-hand notations like rh for romeo-at-home and $D$ for go-dancing. So the set of propositions is:

$$
P=\{r h, r d, r w, j h, j d\}
$$

and the three operators $\{D, W, H\}$ are defined as:

$$
\begin{aligned}
D=\langle j h, j d & \wedge \neg j h \wedge(r h \triangleright(r d \wedge \neg r h))\rangle, \\
W & =\langle r h, r w \wedge \neg r h\rangle, \\
H & =\langle r w, r h \wedge \neg r w\rangle .
\end{aligned}
$$

1. Translate the operator set $\{D, W, H\}$ into propositional logic using the first encoding from the lecture. It is sufficient to record the simplified formulas for $\tau_{D}, \tau_{W}$ and $\tau_{H}$, and how $\mathcal{R}_{1}\left(P, P^{\prime}\right)$ relates to these formulas.
Note: It is not necessary to translate the resulting formula to CNF - using the "normal" encoding without variables for the operators, the corresponding CNF formula has some 100 clauses. Doing this translation is a task that Romeo can do himself.
2. Translate the operator set $\{D, W, H\}$ into propositional logic using the second encoding from the lecture, and translate the resulting formula into CNF.

Note: You do not need to write down $\mathcal{R}_{2}\left(P, P^{\prime}\right)$ as a whole; you should rather record the individual clauses that you obtain from explanatory frame axioms ( $\sim 12$ clauses), effect axioms ( $\sim 11$ clauses) and operator interference ( $\sim 3$ clauses).

For both parts, you only need to record the end results, not the logical transformations that you use for obtaining them.

You may work on these assignments and submit your results in groups of two students. Make sure to clearly indicate both names on your work. You may write your answers in English or German.

